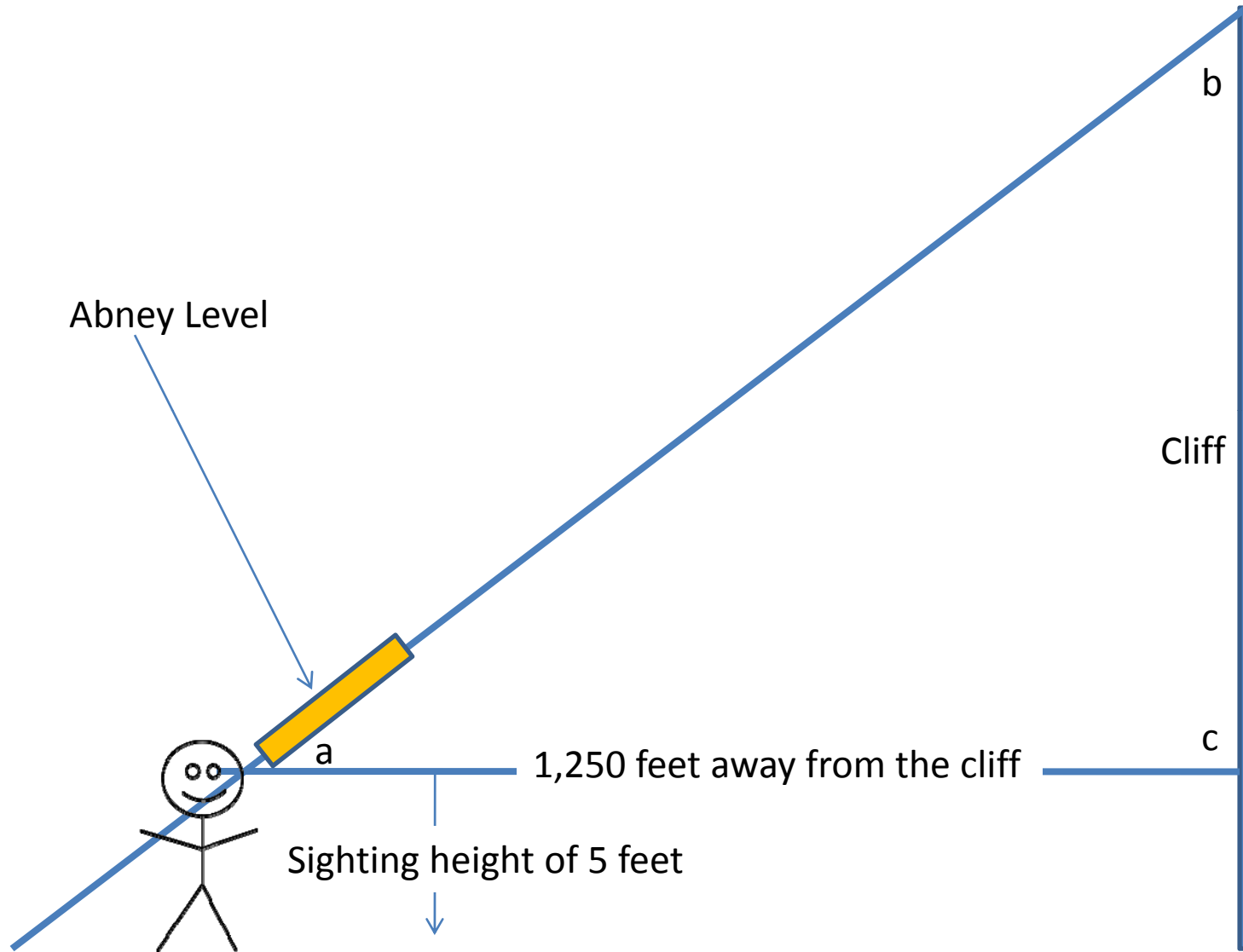


# Trig in the Field

Angles and Distance

# When you want to know:

- How tall is that tree?
- How high is that cliff wall?
- How wide is that dangerous river?
  
- All of these examples prohibit you from taking a direct measurement.



# Assumptions

- Angle c is  $90^\circ$
- The ground is relatively level from the cliff wall to the point where you measure angle a.
- Angle a is known as theta

$\theta$

# Goal: Height of Cliff

- Side BC is opposite theta
- In trig, when you have a right triangle (one angle is  $90^\circ$ ), the length of the opposite side =  $\tan\theta \times \text{Adjacent Side}$
- In common terms:
- Height of the cliff is  $\tan$  angle  $\times$  distance from the wall. (don't forget to add your sighting height)

Example:

Your eyes are 5 feet off the ground.

You stand 1,250 feet from a cliff and measure  $19^\circ$  for angle b.

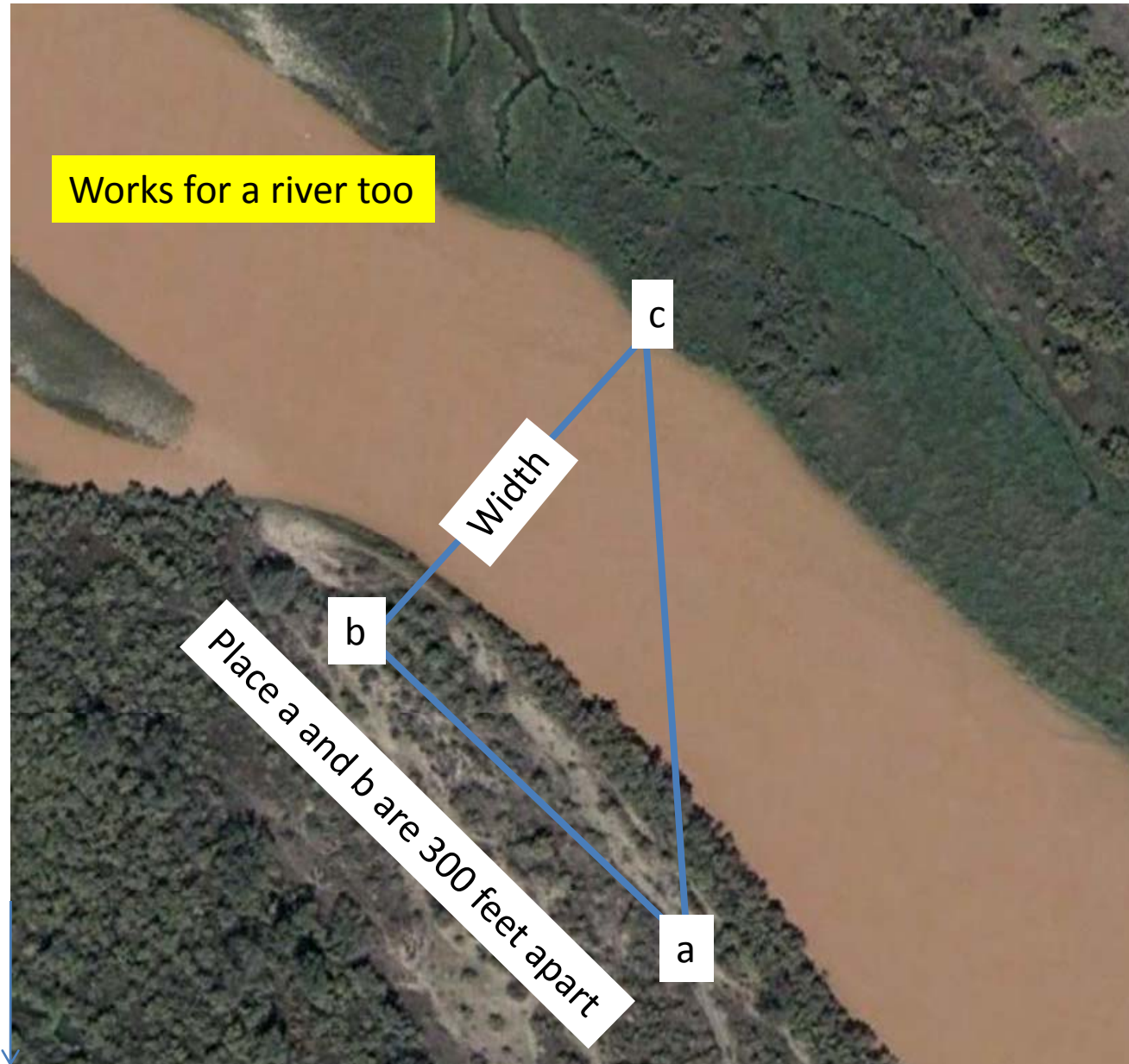
How high is the cliff?

$\tan 19 \times 1,250 = \text{cliff height}$

$.344 \times 1,250 = 430 \text{ feet}$

Plus 5 feet for your sighting height: total is 435 feet

Works for a river too

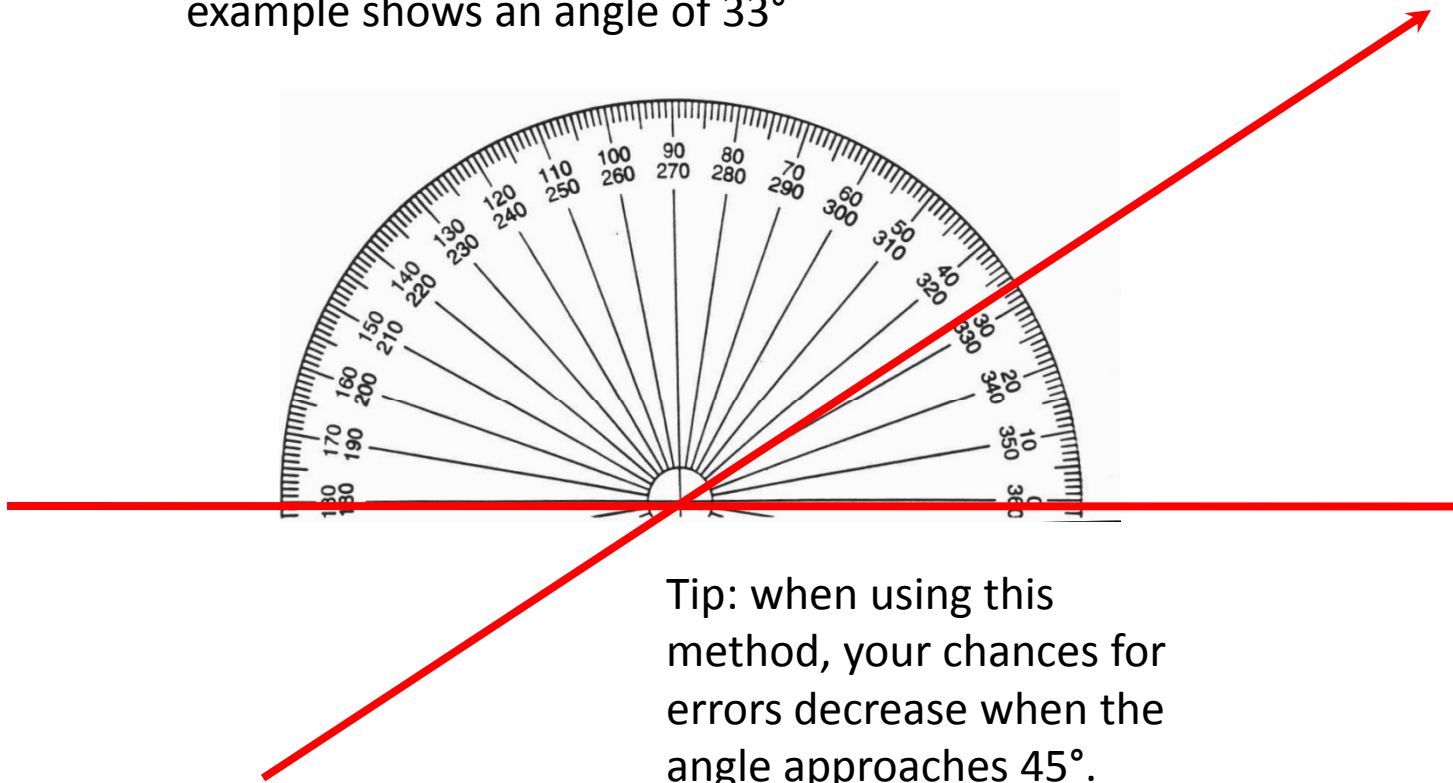


Angle "a" is  $54^\circ$   
Angle "b" is  $90^\circ$

## Measuring Angles on the Ground

Use a protractor instead of an Abney Level

Draw strings very tightly across the baseline of the protractor and towards the object. This example shows an angle of  $33^\circ$



How wide is the river? (assume that you are 10 feet from point b to the river edge)

Try it now; I'll show you the answer in a minute.

Answer:

$(\tan 54 \times 300) - \text{Dist "b" to shore} = \text{river width}$

$(1.376 \times 300) - 10 \text{ feet} = \text{width}$

$413 - 10 = 403 \text{ feet}$